

Name \_\_\_\_\_

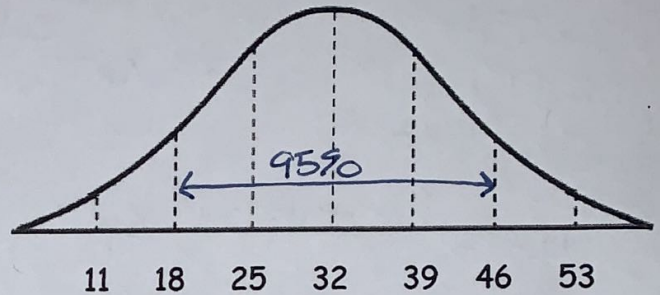
Date \_\_\_\_\_

1. Use the normal curve to find the following:

- a. mean 32
- b. standard deviation 7

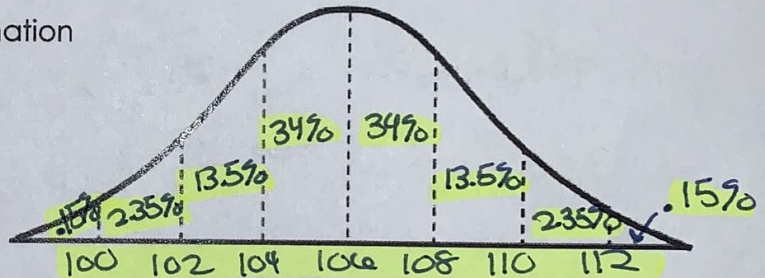
c. Between what 2 data values does the middle 95% of the data fall?

18 + 46



2. A machine is used to put bolts into <sup>1000</sup> boxes. It does so such that the actual number of bolts in a box is normally distributed with a mean of 106 and a standard deviation of 2.

a. Draw & label the normal curve for the information



b. What percentage of boxes contain more than 104 bolts? 84%

c. What percentage of boxes contain less than 102 bolts? 2.5%

d. Approximately how many boxes have between 104 and 110 bolts? 775 boxes  
 .775(1000)

e. Approximately how many boxes have no more than 108 bolts? 840 boxes  
 84% → .84(1000)

f. ~~Approximately how many boxes have between 104 and 110 bolts?~~

3. The number of participants in a XC race is normally distributed throughout the season. If the mean number of runners is 87 with a standard deviation of 8. If the z-score for the region meet is -2.75, how many people raced in the region meet?

$\mu = 87$   
 $\sigma = 8$   
 $z = -2.75$

$$-2.75 = \frac{x - 87}{8}$$

65 runners



4. If the daily temperature in Marietta in May has a standard deviation of 2.1 degrees. If May 18<sup>th</sup> had a high of 75 degrees and a z-score of 1.7, what is the mean high temperature?

$$\begin{aligned} \sigma &= 2.1 \\ x &= 75 \\ z &= 1.7 \end{aligned}$$

$$1.7 = \frac{75 - \mu}{2.1}$$

$$3.57 = 75 - \mu$$

$$\mu = 71.43^\circ \text{F}$$

5. The ACT scores are normally distributed with a mean of 18 and a standard deviation of 6. If Jill has a z-score of 2.1 and Jack has a z-score of 1.7, how many points higher is Jill's ACT score compared to Jack's?

$$\begin{aligned} \mu &= 18 \\ \sigma &= 6 \end{aligned}$$

$$\text{Jill: } 2.1 = \frac{x - 18}{6}$$

$$\text{Jack: } 1.7 = \frac{x - 18}{6}$$

$$30.6 - 28.2$$

$$\text{Jill: } x = 30.6$$

$$\text{Jack: } x = 28.2$$

2.4 points higher

6. You have a set of data. The mean of the data is 32 with a standard deviation of 3.2. Find the following probabilities:

a. 0.894  $P(z \geq -1.25)$  <sup>lower</sup>

b. 0.0062  $P(X \leq 24)$   $\frac{24 - 32}{3.2} = z = -2.5$   $P(z \leq -2.5)$  <sup>upper</sup>

c. 0.8944  $P(X \text{ is at most } 36)$  <sup>less than</sup>  $z_{36} = \frac{36 - 32}{3.2} = 1.25$  <sup>upper</sup>

d. 0.0062  $P(z \leq -2.5)$  <sup>upper</sup>

e. 0.9876  $P(24 \leq X \leq 40)$   $z_{24} = \frac{24 - 32}{3.2} = -2.5$  <sup>lower</sup>  $z_{40} = \frac{40 - 32}{3.2} = 2.5$  <sup>upper</sup>

f. about 7-8 If there are 20 data values, approximately how many will be more than 33?

$$z_{33} = \frac{33 - 32}{3.2} = .31$$

$$P(z > .31) = .3783 (20) = 7.566$$

7. The scores on the midterm exam are normally distributed with a mean of 72.3 and a standard deviation of 8.9. What percentage of the students in the class can be expected to receive a score between 82 and 90?

$$z_{82} = \frac{82 - 72.3}{8.9} = 1.09$$

lower

$$z_{90} = \frac{90 - 72.3}{8.9} = 1.99$$

upper

$$P = 0.1146$$

$$11.46\%$$

8. A group of 625 students has a mean age of 15.8 years with a standard deviation of 0.6 years. The ages are normally distributed. How many students are younger than 16.2 years?

$$z_{16.2} = \frac{16.2 - 15.8}{0.6} = .67$$

$$P(z < .67) = .7486$$

$$.7486(625) = 467.875$$

about 467 students